

# 44 How I Solved the Toughest Problem in Calculus—Part 2 of 15



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#### 44.1 They Called Me 'Calculus'

## 44.1.1 Toughest Problem in Calculus



#### I'm **Philip Emeagwali**.

Back in 1989, I was the cover stories of top mathematics publications.

I was cover stories because

#### I invented

how to solve the toughest problems
that arose in calculus, algebra,
and physics
and how to solve them
by parallel processing them
across a new internet
that is a new supercomputer
and a new global network of
65,536 commodity processors.
Historically, the speed of solving
the toughest problems
arising in calculus, algebra, and physics,



is the singular yardstick for measuring contributions to the development of the computer. The reason is that the massively parallel processing supercomputer is not only about satisfying curiosity or about doing well. The modern supercomputer is about doing good, too. I define the supercomputer as a calculating machine that can be programmed to solve the toughest problems that are listed as the 20 grand challenges in science and engineering, and, specifically, to solve those problems 65,536, or more times,

#### faster than the computer.



## 44.2 The New Way of Doing Mathematics

#### I'm different from

one million modern mathematicians.

#### I'm different because

I perform my arithmetical computations in parallel, or multiply 65,536 pairs of numbers at once.

#### I'm different because

modern mathematicians
perform their arithmetical computations
and do so in sequence,
or multiply two numbers at a time.

I'm different from the pure mathematician that uses the blackboard as his mathematical canvas.

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#### I'm different because

I'm an extreme-scale computational mathematician who abandoned his blackboard and embraced a new internet that he invented as a new global network of 64 binary thousand motherboards and embraced those motherboards as his mathematical canvases. I'm different from the applied mathematician that applies a real world mathematical problem —such as a general circulation model for global warming and applied it as his backdrop. I'm different because I applied both the mathematics

and the problem



#### as the backdrops

to the new internet
that I invented
as a new global network of
64 binary thousand
processors.

#### I'm different

from the computational mathematician that only uses one motherboard as his mathematical canvas.

#### I'm different because

I used a new internet that is not a computer *per se* and used that internet as my mathematical canvas.

#### I'm different because

I was the only research mathematician that was profiled in the book titled:

"History of the Internet."

Please allow me to quote from the book

#### [quote]

n 1989 mathematician Philip Emeagwali shocked the supercomputer industry by performing the world's fastest computation—3.1 billion calculations per second—using the power of Internet. The results, as computer scientist Marsha Lakes put it, were "phenomenal . . . three times faster than a supercomputer."

#### [unquote]

My contribution to mathematics is this:

I changed the way
we do computational mathematics.
In the old way,
we computed on only one isolated
processor

that was not a member of an ensemble of processors,

or within only one isolated computer that was not a member of an ensemble of computers.

In my new way, the **Philip Emeagwali** way, I computed **across** millions of commonly available processors that shared nothing with each other, or **across** millions of computers.

## 44.2.1 Contribution of Philip Emeagwali to Calculus

I am an extreme-scale computational mathematician that conducted his decade-long supercomputer experiments alone.
I did my high-performance supercomputing across a new internet that I invented as a new global network of 65,536 processors

that were already available in the market and that is a small copy of the Internet.

I used my new internet
to experimentally confirm that
65,536 days, or 180 years,
of time-to-solution
can be compressed to only one day
of time-to-solution
and compressed across a new internet
that is a new global network of
65,536 tightly-coupled processors
that shared nothing with each other.

#### I—Philip Emeagwali—

was the lone wolf
research supercomputer scientist
in Los Alamos, New Mexico, United States,
in the then uncharted territory
of the massively parallel processing
supercomputer.

I was in major newspapers,



such as the June 20, 1990 issue of the Wall Street Journal, because I invented how to parallel process and invented the massively parallel processing supercomputer and invented the technology across 65,536 tightly-coupled processors that shared nothing with each other. I invented

the massively parallel processing supercomputer and I invented the technology when everybody else said that parallel processing, or computing 65,536 things at once, will forever remain a huge waste of everybody's time.

## 44.2.2 Rejections of my Discoveries

In the 1970s and '80s, my quest was for how to **harness the power** of the massively parallel processing supercomputer.

My goal was to harness that power and use it to solve the toughest problems arising in computational physics, modern calculus, and extreme-scale algebra. On the Fourth of July 1989,

I invented

how to harness that

massively parallel processing power

and how to use it to perform the fastest computations and how to use that unheard of speed to solve

the most computation-intensive problems arising in supercomputing.



My supercomputer research on how to harness the power of 64 binary thousand tightly-coupled processors that were already available in the market

was ridiculed and rejected as a huge waste of everybody's time.

In the 1970s,

I was humiliated

by sequential processing supercomputer research teams.

In the 1980s,

I was humiliated

by vector processing supercomputer research teams.

I was humiliated

because I advocated that the massively parallel processing supercomputer will become the fastest computer in the world.

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#### I was dismissed

from supercomputer research teams because I preached that the modern supercomputer should do many things in parallel, or at once.

The reason cited for the rejection of my massively parallel processing supercomputer research was akin to that given in an article in the June 14, 1976 issue of the ComputerWorld.

The ComputerWorld was the flagship publication of the computer world.

That ComputerWorld article was titled:

[quote]

"Research in Parallel Processing Questioned

## as "Waste of Time." [unquote]

## 44.2.3 Sixteen Years to Make the Impossible Possible

In the 1970s and '80s, the leaders of thought in the world of supercomputers dismissed parallel processing as a beautiful theory that lacked an experimental confirmation. The reason my invention of the massively parallel processing supercomputer made the news headlines in 1989 was because the supercomputer textbook of 1989 and earlier wrote that it will be impossible to parallel process the toughest problems.



That is, it was impossible in the 1980s to massively parallel process extreme-scale global climate models. Global climate models must be executed at the fastest supercomputer speeds and must be executed to more accurately foresee future global climate changes. In the 1980s, it was impossible to execute global climate models and to execute them across as much as an ensemble of eight co-operating processors. That limit of eight processors and eight-fold speedup was described in supercomputer textbooks, of the 1980s and earlier, as Amdahl's Law limit. On the Fourth of July 1989, I invented how to solve the toughest problems

arising in extreme-scale computational physics—such as excruciatingly detailed, larger, higher-fidelity petroleum reservoir simulation. I invented how to solve such computation-intensive problems and how to solve them for their highest resolutions and how to solve them in parallel and how to solve them across a new internet that is a new global network of two-raised-to-power-sixteen, or 64 binary thousand tightly-coupled, processors that were already available in the market and that shared nothing with each other and that is a new supercomputer and that is a new computer. In the world of the supercomputer,



to discover or invent a new supercomputer that is a new computer is to show that the impossible-to-compute is, in fact, possible-to-compute. I—Philip Emeagwali—was in the news back in 1989 and in the June 20, 1990 issue of the Wall Street Journal. My experimental discovery of a new supercomputer was in major U.S. newspapers because I did the impossible and did it on a never-before-seen supercomputer machinery. At the frontier of supercomputer knowledge, 50 percent of what is considered impossible is, in fact, possible. With the passage of time, the impossible can become possible and become possible



as our body of scientific knowledge grows and become possible as our body of technological knowledge grows.

The other 50 percent of what is considered impossible will forever remain impossible. That 50 percent will forever remain impossible because it violates the laws of physics, and violates them in the manner the perpetual motion machine violates the first law of thermodynamics called the law of conservation of energy. Often, it takes extraordinary diligence, intellect, knowledge, and a never-before-seen machinery to show that the impossible is, in fact, possible. It took me fifteen years,

onward of June 20, 1974, to invent

how to massively parallel process and how to process across

a new internet

that is a new global network of 64 binary thousand tightly-coupled processors that shared nothing with each other, or how to process across as many tiny computers. For the sixteen years onward of June 20, 1974 and from the Computer Center at 1800 SW Campus Way, Corvallis, Oregon, United States, I programmed supercomputers and I did so continuously and almost daily. I programmed supercomputers that were powered by only one **isolated** processor



that was not a member of an **ensemble** of processors.

**I programmed** supercomputers that were powered by up to 65,536 processors.

I programmed supercomputers as a lone wolf supercomputer scientist in the then uncharted territory of the massively parallel processing supercomputer.

At 8:15 on the morning in Los Alamos, New Mexico, United States, I invented

the massively parallel processing supercomputer.

I invented that technology **across** a new internet

that I invented as my new global network of two-raised-to-power sixteen tightly-coupled processors that shared nothing with each other.



## 44.2.4 The Myth About Math Geniuses

It's a myth that only **brilliance** is required to become a supercomputer genius that invented a never-before-seen supercomputer.

Talent is a necessary condition
but is not a sufficient condition
for solving the toughest problems
arising in modern calculus
and in extreme-scale computational physics.
It is my twenty years of diligence
in acquiring
the multidisciplinary knowledge
that spanned mathematics, physics,
and computing
that made me
the supercomputer scientist
that I am today.



In the 1980s, there were 25,000 **brilliant** vector processing supercomputer scientists in the world that were led by **Seymour Cray**. Yet, only one supercomputer scientist had the courage, the confidence and the scientific and technological knowledge that was needed to massively parallel program alone and that was needed to parallel process across a new internet that is a new supercomputer that is a new global network of 65,536 processors. I—**Philip Emeagwali**—was the only supercomputer scientist that had the courage, the confidence and the knowledge



that was needed to harness
the parallel processing
supercomputer power
that was hidden
inside the one and the only
most massively parallel processing
supercomputer in the world
that was ever built.
Only one such supercomputer
was built.

And that new supercomputer only allowed only one fulltime programmer at a time.

That one-of-a-kind supercomputer was powered by 65,536 tightly-coupled processors that shared nothing with each other and that I visualized as metaphorically located at the 65,536 vertices



of the hypercube in my imaginary sixteen dimensional universe. I visualized those vertices as equal distances apart and on the fifteen dimensional hypersurface of the hypersphere that tightly circumscribed that hypercube in hyperspace. Inside the supercomputer room are the cabinets, inside the cabinets are the racks, inside the racks are the boards, and on the boards are the chips.

#### I—Philip Emeagwali—

was the massively parallel processing supercomputer scientist that was the lone voice



in the wilderness of the then unknown world of parallel processing supercomputing. In my vision and as the primal programmer of a primordial internet, I saw those processors as 65,536 equidistant search lights around a global sky. I saw those search lights as three thousand square miles apart. I saw those search lights pointing towards the darkest corners of human understanding of global warming and global issues. I was that lone wolf supercomputer scientist and the only fulltime programmer



that could and did program that massively parallel processing supercomputer.

I made headlines in major U.S. newspapers because I invented

how to **harness** the supercomputer power of two-raised-to-power-sixteen processors

that were already available in the market anyway.

Or how to **harness** as many identical computers and **harness** them

to execute the most computation-intensive floating-point arithmetical operations that arises in computational physics.

Those arithmetical operations

arose from solving the most large-scale system of equations arising in algebra.

Those algebraic problems



approximated the initial-boundary value problems arising in calculus and physics.

Those initial-boundary value problems encoded the laws of physics that were at the granite core of the branch of physics that is called computational fluid dynamics.

I invented

how to harness the total processing power of millions upon millions of tightly-coupled processors that shared nothing with each other and how to harness them to solve the toughest problems arising in physics, calculus, and algebra. And after sixteen years as a lone wolf supercomputer programmer, the news media discovered me as the African Supercomputer Wizard

in the United States.

So it was a myth that I was the new kid in the uncharted territory of massively parallel processing, the critical technology that is the core essence of the modern supercomputer.

## 44.3 How I Invented Philip Emeagwali's Equations

### 44.3.1 On Becoming a Supercomputer Genius

The invention of the paradigm-shifting massively parallel processing supercomputer is rarer

than the writing of the complete works of **William Shakespeare**.

In the history of computing,



the parallel processing supercomputer is the only paradigm shift that was of **tectonic** scale.

The number of major scientific discoveries and technological inventions that can be made are **limited**.

However, the number of minor scientific papers

that can be published are unlimited.

Our distant descendants

can write a billion novels

or a billion plays or a billion movie scripts.

But our distant descendants

cannot make an unlimited number of groundbreaking scientific discoveries and technological inventions.

In a lecture delivered on February 25, 1969 in Portland, Oregon,

Alex Haley, the author of

"The Autobiography of Malcolm X" spoke about his

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## **as-yet-to-be-published** bestselling book that was later titled

"Roots"

and subtitled

"The Saga of an American Family."

#### Alex Haley said that

he wrote a million words

before he could sell his first piece of writing.

The teenage soccer prodigy

had kicked the soccer ball

a million times

before he played at the World Cup.

Back in 1972, a seventeen-year-old

named "Philip Emeagwali"

was mentioned in the science column

of the Daily Times.

The Daily Times

was then the only national newspaper

of my country of birth, Nigeria.

Back in the 1970s and '80s,

I wrote one million



mathematical expressions and wrote them from the **story**board to the **black**board to the **mother**board and across a new internet. I invented that new internet as a new global network of 64 binary thousand already-available motherboards. Yet, I didn't call myself a supercomputer scientist back on June 20, 1974, when I began programming supercomputers.

#### I experimentally programmed

65,536 processors before I called myself a massively parallel processing supercomputer scientist.

I called myself a supercomputer scientist because the supercomputing community acknowledged that I contributed

to the development of the modern supercomputer that computes in parallel.

## 44.3.2 Origin of Philip Emeagwali's Equations

My mathematical maturity grew over the twenty years onward of June 1970. In those two decades, I studied physics and calculus and computing. It was in June 1970 that I first wrote the iconic equation of physics

F=ma, or Force equals mass times acceleration.

I first wrote F=ma
as an eighth grader

at Christ the King College,

2096

Onitsha, Nigeria.

I wrote a hundred equations for most days for twenty years before I became cover stories in the world of mathematics. Contrary to the myths about my overnight success, I scribbled a million equations on yellow pads before I became cover stories for the nine new partial differential equations that I invented. As an aside, the nine partial differential equations that I invented were my symbolic restatements of nine algebraic equations. Each equation was F=mafor the three phases of crude oil, injected water, and natural gas



and for the three spatial directions, named the x-, y-, and z-directions.

#### I encoded

the Second Law of Motion
of physics
into my system of
partial differential equations
of modern calculus.
I computed my algebraic restatements
of that calculus
and I computed them across
my new internet.

I invented my new internet as a new global network of 64 binary thousand tightly-coupled processors that were already available in the market anyway.

The system of coupled, non-linear, time-dependent, and state-of-the-art partial differential equations



of modern calculus that is also known as the nine Philip Emeagwali's Equations did not pop into being during one moment of Eureka. The nine Philip Emeagwali's Equations had their algebraic roots in the Second Law of Motion of physics. That Second Law was discovered back in the year sixteen sixty-six [1666]. About two centuries ago, research mathematicians invented the technique for **encoding** the Second Law of Motion into differential equations. As a research mathematician of the 1970s and '80s,

I didn't wake up one morning



and decided to invent the Philip Emeagwali's system of nine partial differential equations of modern calculus.

Inventing partial differential equations is rarely the objective of a research mathematician.

The reason I invented the nine Philip Emeagwali's partial differential equations

was because I could not equate
the four forces inside the oil field
to the three forces on the blackboard
and the three forces
in the textbooks and codes
for extreme-scale
petroleum reservoir simulation.

My contributions to mathematics that was the cover stories of top mathematics publications

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#### is this:

#### I invented

how to equate the physical forces on the **story**board, to the physical forces on the **black**board, to the physical forces on the **mother**board, and equate them **across mother**boards.

#### I invented

how to equate those forces and do so by adding a fourth force to those three forces that were in the textbooks on porous media flow.

Those three forces were the pressure, viscous, and gravitational forces.

The new four forces are pressure, viscous, gravitational, and inertial forces.



Those abstracted four forces corresponded to the four physical forces inside the oil field.

All mathematical physics textbooks on the subject of flow of crude oil, injected water, and natural gas through porous media had 45 partial derivative terms that represented the crude oil, injected water, and natural gas phases along the three x-, y-, and z- spatial directions.

#### I invented

the nine Philip Emeagwali's partial differential equations that contain

36 additional partial derivative terms.

Those 36 mathematical terms accounted for both the **temporal** and the **convective** components

of the inertial forces and accounted for the crude oil, injected water, and natural gas phases in three x-, y-, and zspatial directions. From my perspective, the old, parabolic partial differential equations that were used by the petroleum industry was a non-equation that I called an inequality. The partial differential equation in porous media flow textbooks that **encoded** the Second Law of Motion of physics was not an equation. The reason it was not an equation was that the **abstracted** forces on the blackboard were not congruent

to the physical forces inside the oil field that they represented.

The nine Philip Emeagwali's Equations are at the granite core and at the mathematical foundation of the toughest problem in calculus, that is sometimes called one of the grand challenge problems in supercomputing, namely, extreme-scale petroleum reservoir simulation

**across** an ensemble of commodity-off-the-shelf processors.

I mathematically discovered

that the three pieces
of the grand challenge puzzle
did not fit into the four slots
on the **story**board
or on the **black**board
or on the **mother**board.
I had to invent



my 36 partial derivative terms to account for the fourth force, namely, the temporal and convective inertial forces.

## 44.3.3 My Mathematical Maturity Over Two Decades

A lesson I learned during my twenty-year-long mathematical quest is that I wrote a million mathematical equations before I contributed my nine new partial differential equations to modern calculus. It was only after those twenty years of considered meditation on partial derivative terms and a decade on the 36 new partial derivative terms that encoded the temporal and convective inertial forces, that I invented my nine new

partial differential equations of modern calculus that comprised of **81** partial derivative terms of modern calculus. The laws of physics were the common denominator across my two-raised-to-power-sixteen, or 65,536, computer codes that I emailed to the sixteen-bit long email addresses of my 64 binary thousand processors that outlined my new internet and defined my new technology as my new supercomputer that is a never-before-seen computer. It was only after a decade of careful judgement on the laws of physics that I experimentally discovered how to email those codes and do so across sixteen times

two-raised-to-power-sixteen, or 1,048,576, bi-directional, regular, short, and equidistant email wires that married 65,536 commodity-off-the-shelf processors together and electronically married them as one seamless, cohesive whole new supercomputer. I took a decade to invent how to solve initial-boundary value grand challenge problems of modern calculus and how to solve those problems across a new internet that I invented as a new global network of 64 binary thousand tightly-coupled processors that shared nothing with each other. So after twenty years, and perhaps, seeing

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and/or writing one million
mathematical expressions,
I grew from being a mathematician
that knew mathematics
to gaining public recognition
from mathematicians
and gaining it as a mathematician
that made contributions to mathematics.

# 44.4 The First Supercomputer and Philip Emeagwali's Equations

Supercomputer wizardry is only earned by programming the fastest supercomputers and by programming them day after day, year after year, and even decade after decade. On June 20, 1974, the day I began supercomputing, I was as insecure as the child that was learning



how to ride a two-wheeled bicycle and learning how to ride it without the security of stabilizer training wheels.

# 44.4.1 Philip Emeagwali Supercomputer Vision

My mathematical quest was for new calculus and for new algebra and was to invent how to solve the toughest problem arising in calculus, algebra, and physics. That mathematical quest began on Thursday June 20, 1974 when I woke up in a tiny room upstairs of a white house at 195A Knox Street South, Monmouth, Oregon, in the Pacific Northwest Region of the United States. That mathematical quest

began at age nineteen and on one of the world's fastest supercomputers. That supercomputer was at 1800 SW Campus Way, Corvallis, Oregon, United States. For a wider and more diverse perspective, we must see the massively parallel processing supercomputer that is the precursor to the modern supercomputer and see the technology through the intellectual eyes of its first lone wolf programmer that programmed the machinery for sixteen years, and not see the technology through the eyes of a person that merely studied supercomputers and studied them without programming supercomputers in those sixteen years.

The author of the supercomputer textbook first learned that it is possible to solve the toughest problems arising in calculus, algebra, and physics and learned how to solve those grand challenge problems in parallel and learned it in 1989, the year my experimental discovery of parallel processing made the news headlines. I was the lone wolf programmer of the precursor to the modern supercomputer that is described in supercomputer textbooks. The author of the supercomputer textbook learned the most massively parallel processing supercomputer from I—Philip Emeagwalithe first person that invented

how to massively parallel program the modern supercomputer and how to use that new knowledge to solve the most extreme-scale problems arising in computational physics and applied mathematics.

Because I programmed supercomputers since June 20, 1974 and that I programmed supercomputers as a lone wolf,

only I knew my original supercomputer intention.

I visualized my new massively parallel processing supercomputer differently from others.

I visualized my new massively parallel processing supercomputer as a new internet that is a new global network of 65,536 already-available tightly-coupled processors

#### that shared nothing with each other.

I visualized those commodity processors as my instruments of computational mathematics that I must harness to execute the fastest floating-point arithmetical calculations ever recorded.

I theorized my new massively parallel processing supercomputer as my primordial, room-sized internet that is a small copy of your terrestrial, Earth-sized Internet. In a nineteen eighty-nine [1989] survey, there were twenty-five thousand [25,000] computational scientists and programmers with accounts on conventional vector processing supercomputers. Those twenty-five thousand [25,000] computational scientists considered it a waste of their time

to use the massively parallel processing supercomputer and use that unorthodox technology to solve their computation-intensive scientific problems. After my invention of the massively parallel processing supercomputer that occurred at 8:15 on the morning of the Fourth of July 1989, and occurred in Los Alamos, New Mexico, United States.

That was the Eureka moment
that I experimentally discovered
how and why
the modern supercomputer
must compute in parallel
in order to simultaneously solve
millions upon millions
of the most grand challenging problems

arising in physics and mathematics, instead of solving only one grand challenge problem at a time.

# 44.4.2 Solving the Philip Emeagwali's Equations

Solving the toughest initial-boundary value problem of modern calculus that is at the foundation of extreme-scale computational physics calls for greater synthesis and less analysis.

Unlike the polymath, the research mathematician is often misled by his analysis that leads to his dreaded dead-end analysis paralysis.

The solutions for the toughest multi-disciplinary problems

that are defined at the crossroads where planetary-scaled physics met advanced calculus and met extreme-scaled algebra, and met fastest supercomputers calls for the synthesis of the new knowledge that were discovered at the frontier of extreme-scaled computational physics and discovered at the frontier of the partial differential equations of modern calculus and discovered at the frontier of extreme-scaled algebra and discovered at the frontier of the fastest processors and discovered at the frontier of how to send and receive 64 binary thousand emails and how to massively communicate to and from 64 binary thousand processors and how to send and receive

those 65,536 emails and how to do so across one binary million bi-directional email wires. The excruciatingly-detailed solution of the initial-boundary value problem that is used to discover and recover otherwise elusive and unrecoverable crude oil and natural gas did not call for the analysis paralysis of the nine **Philip Emeagwali**'s partial differential equations of modern calculus. That solution called for the creation of numerical solutions from existing body of knowledge instead of for the discovery of analytical solutions that did not exist, in the first place.

So, the system of coupled, non-linear, time-dependent, and state-of-the-art partial differential equations of modern calculus, called the **Philip Emeagwali**'s Equations are like the Navier-Stokes equations that are posed in the seven Millennium Problems that are the seven toughest problems in mathematics. The **Philip Emeagwali**'s Equations are not exactly solvable on the blackboard. However, the **Philip Emeagwali**'s Equations are computably solvable across motherboards. That is, the solution to an initial-boundary value problem that is defined by the Philip Emeagwali's Equations can only be computed by solving the calculus problem, or rather by solving

the algebraic approximations of the **Philip Emeagwali**'s Equations and executing the arising set of floating-point arithmetical operations and executing them **across** the ten million six hundred and forty-nine thousand six hundred [10,649,600], or more, processors that define and outline the fastest supercomputers of today.

# 44.4.3 Toughest Problem in Calculus

I've learned new things about the discoveries that I made onward of 1974.

I **rediscovered** my discoveries of the 1970s by **rewriting** them a few decades later. As I grew older (and wiser, I hope)

I developed a sharper understanding of the meanings of the words "discover" and "invent" as well as a deeper and surer understanding of the meanings of the phrases "the scientific method" and "the global network of computers." My contributions to computational mathematics is this: I invented how to solve the toughest problems arising in mathematics and I invented how to solve those problems in a new way, namely, how to solve the most extreme-scaled systems of equations arising in algebra and calculus

and how to solve those equations across a new ensemble of processors, instead of the old way of executing floating-point arithmetical operations within only one isolated processor. Since the 1940s, parallel processing was a mystery that haunted supercomputer scientists. The January 11, 1946 issue of the New York Times mentioned parallel processing as science fiction and as 100 computers that could forecast the weather. I-Philip Emeagwaliwas in major U.S. newspapers for inventing the massively parallel processing supercomputer.

My breakthrough invention

were highlighted in the June 20, 1990 issue of the Wall Street Journal. My invention of how to parallel process to solve the toughest problems in computational physics brought a much needed sense of closure in the development of the modern computer. My invention of the massively parallel processing supercomputer is the reason school reports in the United States are written about the contributions of Philip Emeagwali to the development of the computer. In 1989, I won the highest prize in the field of supercomputing and it made the news headlines



that I was the only supercomputer scientist to ever win that prize alone.

### I won that top prize

for my contributions to the development of the modern supercomputer.

### I won that top prize

because I experimentally discovered the importance of parallel processing to the development of the modern supercomputer. In 1989,

### I won the top prize

in supercomputing and I won that prize for my contributions to the development of the modern supercomputer and I won that prize because I experimentally discovered the role parallel processing plays in making your computer faster.

### I won the top prize

in parallel.

in supercomputing and I won that prize because I experimentally discovered that the impossible-to-solve problems arising in calculus, algebra, and physics are, sometimes, possible-to-solve across millions upon millions of processors that were already available in the market anyway. My invention of the massively parallel processing supercomputer that occurred on the Fourth of July 1989 became supercomputing's defining moment and became the bedrock of the modern supercomputer that must process the toughest problems